

Thursday Sep. 13
Lecture 3

Account Class: Create, Contracts, Creation, Updates

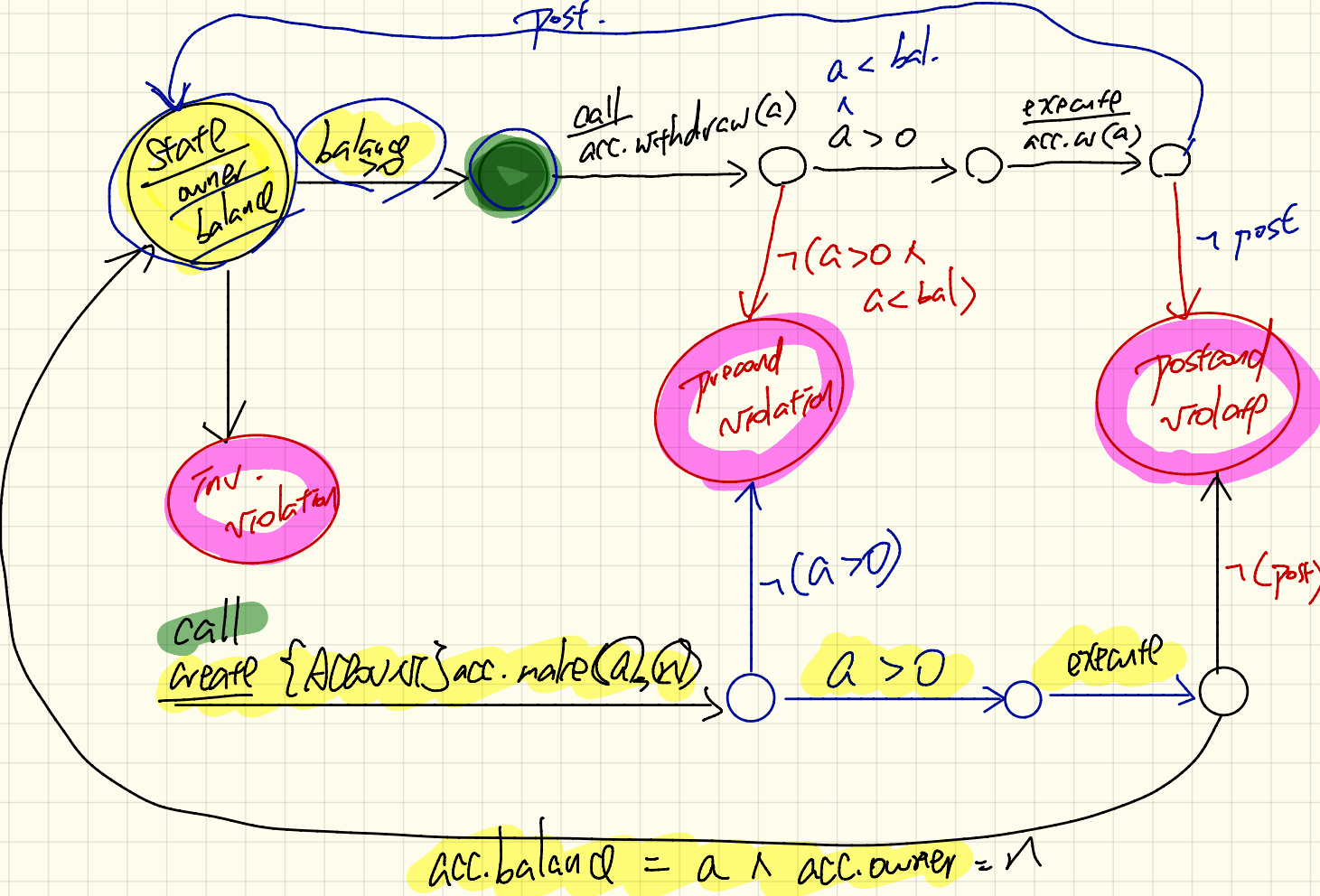
```
class ACCOUNT
create
  make
feature -- Attributes
  owner : STRING
  balance : INTEGER
feature -- Constructors
  make(nn: STRING; nb: INTEGER)
    require -- precondition
      positive_balance: nb >= 0
    do
      owner := nn
      balance := nb
    end
feature -- Commands
  withdraw(amount: INTEGER)
    require -- precondition
      non_negative_amount: amount >= 0
      affordable_amount: amount < balance
    do
      balance := balance - amount
    ensure -- postcondition
      balance_deducted: balance = old balance - amount
    end
invariant -- class invariant
  positive_balance: balance > 0
end
```

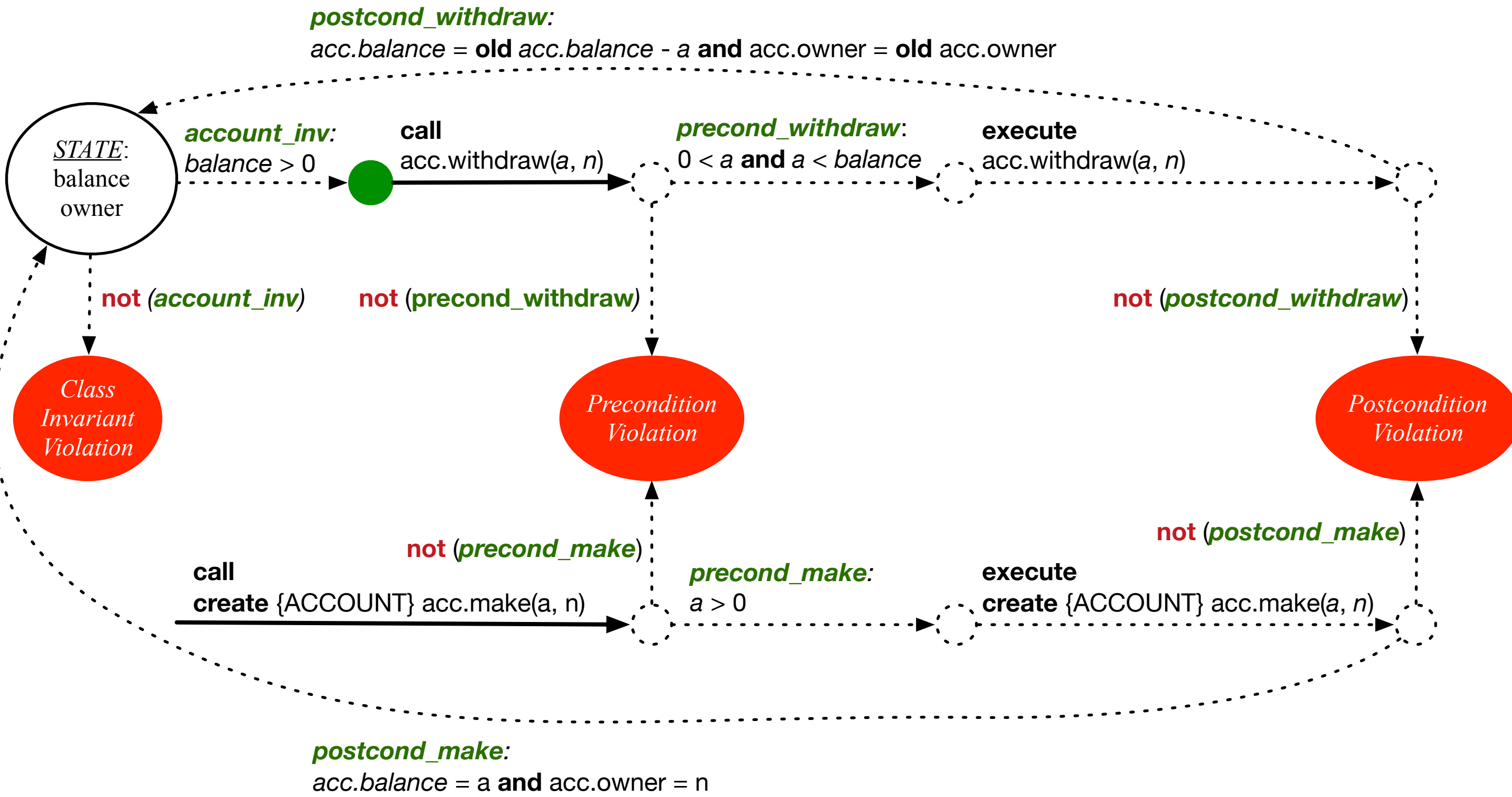
State "Jrm" 20 -1

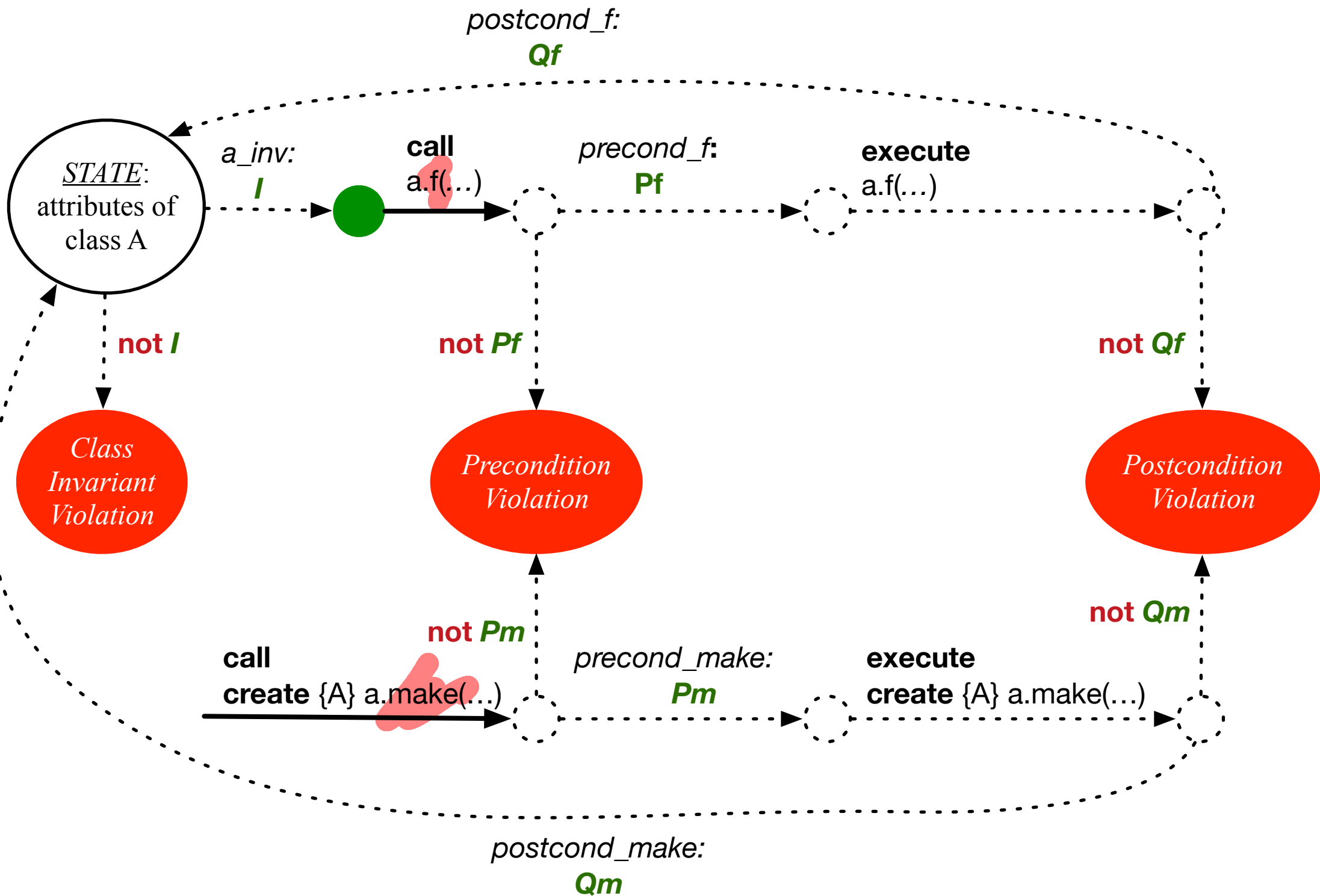
traceability alt: ① ∨ ②

tag. ① ② ③

① ∧ ②







Java

$a = b$

$a == b$

Eiffel

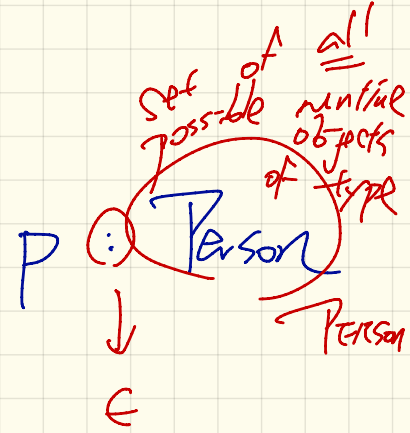
Contradicts
X

$a := b$

✓
 $a = b$

feature ::=
Name
Precond
Local

Person P



Java

a
 i
and then

① $a[i] > 0$ ~~$\&\&$~~ $0 \leq i$ $\&\&$ $i < a.length$

② $0 \leq i$ $\&\&$ $i < a.length$ $\&\&$ $a[i] > 0$

^

Java X

F#

and

or
implies

=

\Leftrightarrow

P Q

T T

T F

F T

F F

$P \wedge Q$

T

F

F

F

Command (a: ARRAY[INTEGER]; i: INTEGER)

require

rebase

not_too_small: $i \geq 0$
not_too_big: $i < a.count$
positive: $a[i] > 0$

pos_element: $i \geq 0$ and then $i < a.count$

and then $a[i] > 0$

$i \geq 0$ and $i < a.count$
and $a[i] > 0$

create

make

- feature

make

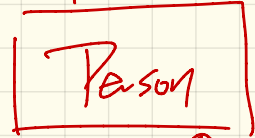
makeZ

$\text{Person } p = \text{new Person}();$
 (S.T.) (D.T.)
 Prof

case 1 ST == DT

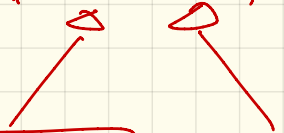
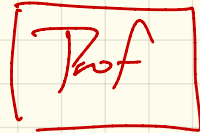
create {Person} p. make

create p. make



case 2 ST ≠ DT

create {Prof} Student
 p. make



[across ... as ... all ... end ✓
[across ... as ... some ... end]

contracts (implementations)

loop ... until ... loop ... end
across ... as ... loop ... end loop

do not use
in contracts!

no loop
counter

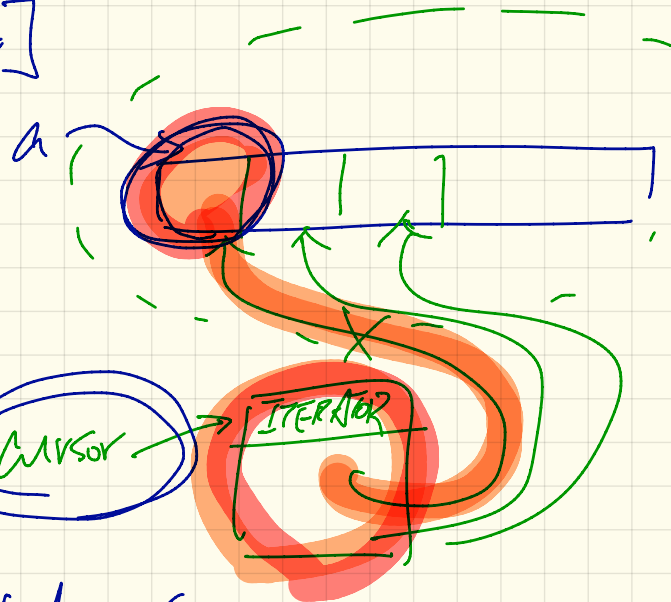
a: ARRAY [ACCOUNT]

ACROSS
a
loop

AS
CURSOR

CURSOR

ITERATOR



end cursor item. withdraw(10)
cursor. withdraw(10)

from

$\bar{c} := a.lower$

until

$\bar{c} > a.upper$

loop

$a[\bar{c}].withdraw(r)$

end $\bar{c} := \bar{c} + 1$

$V_i \cup V_j \quad V_i, j \in \text{lower} \dots \text{upper}$
 $i \neq j \Rightarrow A[i] \neq A[j]$

across
~~1~~ | 1.. | ~~10~~ as | c |
 all ^{a.lower} ^{a.upper}

across

~~1~~ | 1.. | ~~10~~ as | c |
 all ^{a.lower} ^{a.upper}

end

end

cl. item \neq cz. item implies
 $A[\text{cl. item}] \neq A[\text{cz. item}]$